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Why Graph?

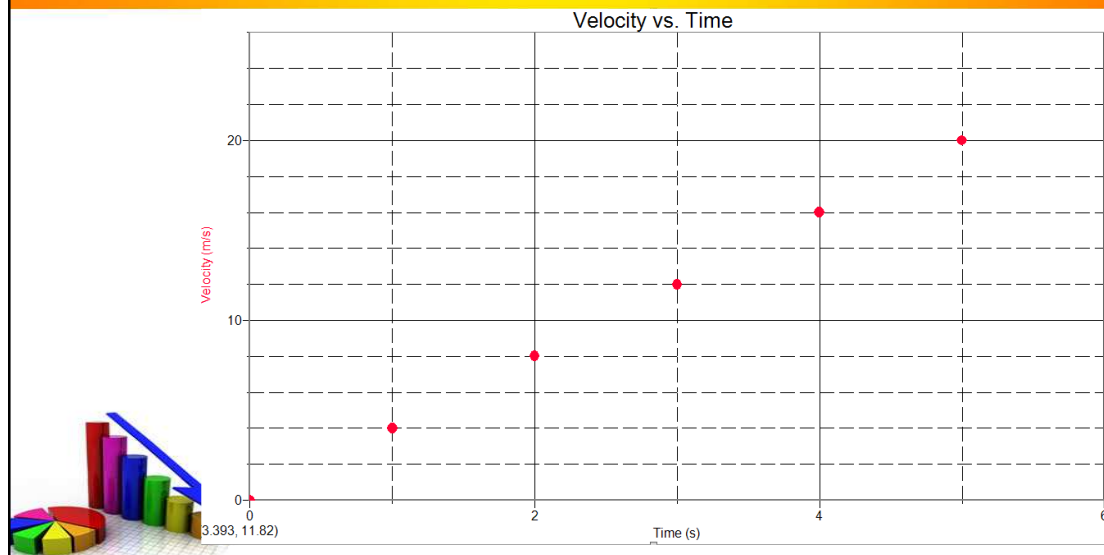
- In general, graphs combine data into clearly visible relationships.
- These relationships also help us predict the results of other situations, not yet tested.
- For example:



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What was the car's speed at 2.5 seconds?

What would it be at 6 seconds?



3

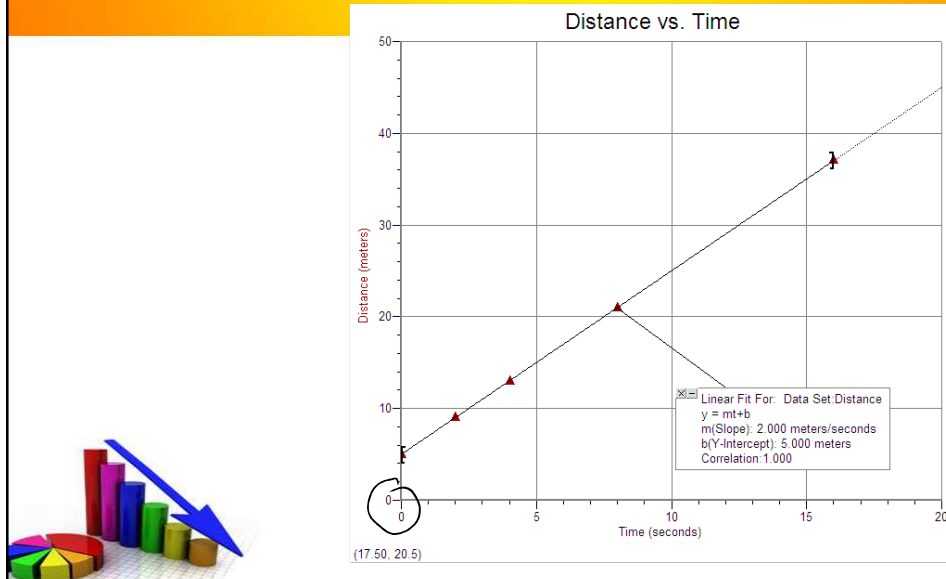
Parts of a Graph

- When grading graphs, I will look for:
 - Axes
 - Labels (Units)
 - Title Y vs. X
 - Data Points
 - Best Fit Line or Curve
 - Orientation (Size)



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Using Graphical Analysis



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Axes & Variables

- X-Axis
 - Independent Variable:
WE CHANGE/CONTROL
- Y Axis
 - Dependent Variable:
CHANGES BECAUSE



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Variable Relationships - Generalizations

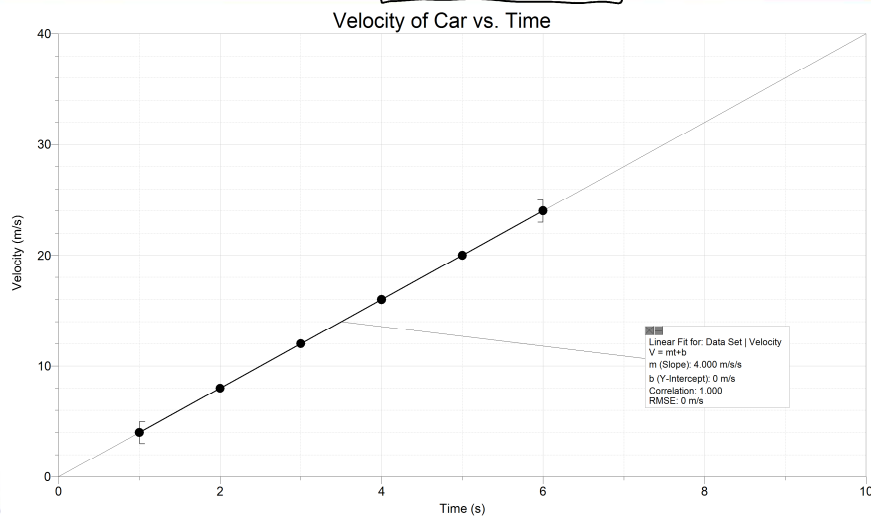
- Direct Relationships
 - As one variable increases, the other increases
 - As one variable decreases, the other variable decreases
- Inverse/Indirect Relationships
 - As one variable increases, the other decreases
 - As one variable decreases, the other variable increases



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Variable Relationships

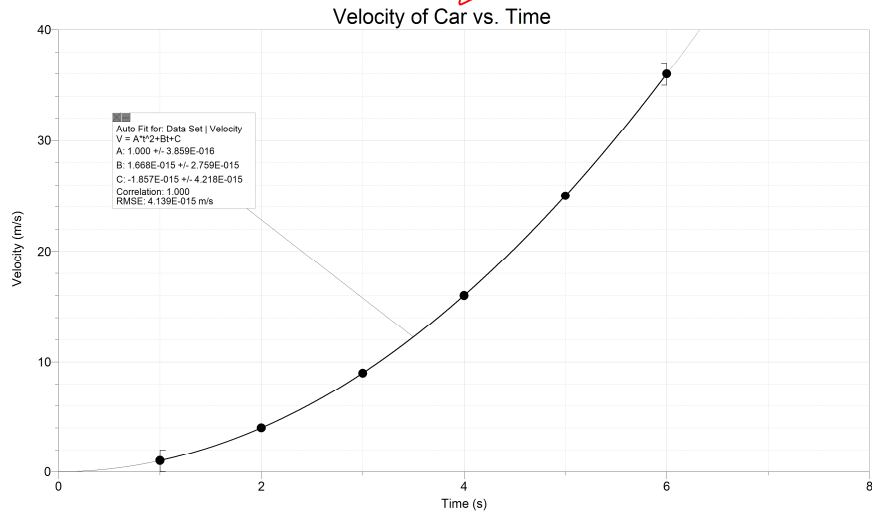
Linear: $y = mx + b$



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Variable Relationships

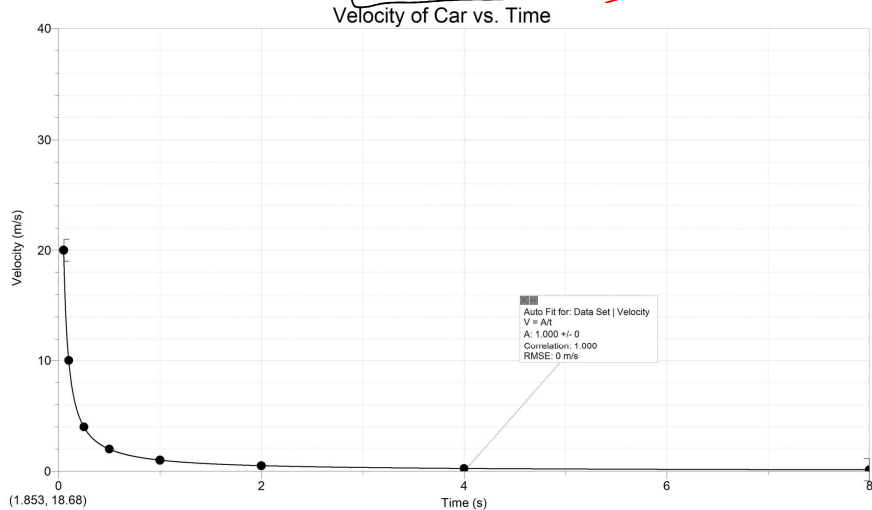
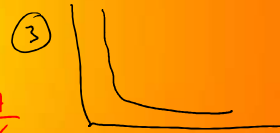
Quadratic: $y = Ax^2 + Bx + C$



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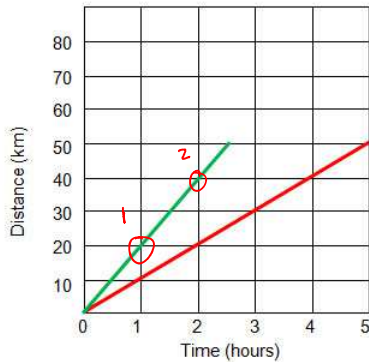
Variable Relationships

Inverse: $y = A/x$



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Finding Slope



- Equation:

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{\Delta y}{\Delta x} = \frac{\text{Rise}}{\text{Run}}$$

- Find the slope of the green line:

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{40 - 20}{2 - 1} = \frac{20 \text{ km}}{1 \text{ hr}} = 20 \text{ km/hr}$$

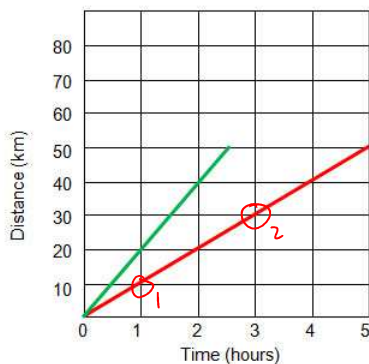
- What is the unique equation of the line?

$$y = mx + b$$

$$y = 20x + 0$$

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Finding Slope



- Equation:

$$\frac{y_2 - y_1}{x_2 - x_1}$$

- Find the slope of the red line:

$$\frac{30 - 10}{3 - 1} = \frac{20 \text{ km}}{2 \text{ hr}} = 10 \text{ km/hr}$$

- What is the unique equation of the line?

$$y = 10x + 0$$

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